

EQUATIONS FOR CALCULATING UPLIFT FORCES AT BASE OF FIRST-STORY WALL*(Based on limiting concrete bearing on a 3½" wide base plate at the edge of the concrete)*

These equations may be used to calculate uplift forces at the base of the 1st-story wall to aid Designers in developing anchorage solutions other than those shown on pages 50–54.

NEW Equations have been revised and are based on a rectangular compression stress block.

2.5 ksi concrete

$$12 \text{ in. wall } T = \left[28.1 - \sqrt{788 - 5.95 (3.4P + Vh)} \right] - P$$

$$15 \text{ in. wall } T = \left[36.1 - \sqrt{1301 - 5.95 (4.6P + Vh)} \right] - P$$

$$18 \text{ in. wall } T = \left[45.0 - \sqrt{2025 - 5.95 (6.1P + Vh)} \right] - P$$

$$21 \text{ in. wall } T = \left[53.9 - \sqrt{2908 - 5.95 (7.6P + Vh)} \right] - P$$

$$24 \text{ in. wall } T = \left[62.8 - \sqrt{3950 - 5.95 (9.1P + Vh)} \right] - P$$

3.0 ksi concrete

$$12 \text{ in. wall } T = \left[33.7 - \sqrt{1135 - 7.14 (3.4P + Vh)} \right] - P$$

$$15 \text{ in. wall } T = \left[43.3 - \sqrt{1874 - 7.14 (4.6P + Vh)} \right] - P$$

$$18 \text{ in. wall } T = \left[54.0 - \sqrt{2916 - 7.14 (6.1P + Vh)} \right] - P$$

$$21 \text{ in. wall } T = \left[64.7 - \sqrt{4187 - 7.14 (7.6P + Vh)} \right] - P$$

$$24 \text{ in. wall } T = \left[75.4 - \sqrt{5688 - 7.14 (9.1P + Vh)} \right] - P$$

4.5 ksi concrete

$$12 \text{ in. wall } T = \left[50.5 - \sqrt{2554 - 10.71 (3.4P + Vh)} \right] - P$$

$$15 \text{ in. wall } T = \left[64.9 - \sqrt{4216 - 10.71 (4.6P + Vh)} \right] - P$$

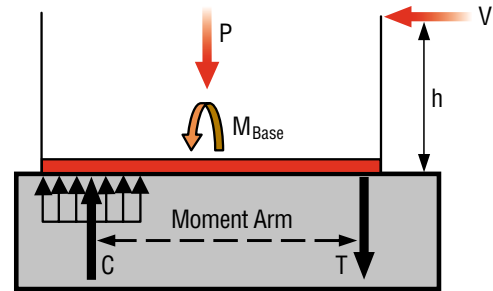
$$18 \text{ in. wall } T = \left[81.0 - \sqrt{6560 - 10.71 (6.1P + Vh)} \right] - P$$

$$21 \text{ in. wall } T = \left[97.1 - \sqrt{9421 - 10.71 (7.6P + Vh)} \right] - P$$

$$24 \text{ in. wall } T = \left[113.1 - \sqrt{12,797 - 10.71 (9.1P + Vh)} \right] - P$$

Notes:

- Equations may be used to calculate uplift forces at the base of first-story walls on concrete foundations.
- Equations are based on the design methodology contained in AISC Steel Design Guide 1 – Base Plate and Anchor Rod Design, second edition using a rectangular compression stress block.

**Forces at Base of Wall**

T = Resulting anchorage tension (uplift) force (kips)

V = Design shear (kips)

P = Total vertical load (kips)

h = Wall height (inches)

For two-story stacked applications, substitute M_{base} for Vh :

$$Vh = M_{base} \left(\frac{12}{1000} \right) \text{ kip-in}$$

Where M_{base} = Design moment at base of wall (ft-lbs)

EXAMPLE 1 – Single-Story S/SSW:

Given:

- S/SSW18x9X wall on 2.5 ksi concrete
- 2006 International Building Code®, Seismic
- Design Shear (V) = 1.5 kips < 1.835 kips ($V_{allowable}$)
- P (Vertical Load) = 1.0 kip
- h = Wall height = 109"

$$T = \left[45.0 - \sqrt{2025 - 5.95 (6.1P + Vh)} \right] - P$$

$$T = \left[45.0 - \sqrt{2025 - 5.95 (6.1 \times 1 + 1.5 \times 109)} \right] - 1.0 = \underline{\underline{12.1 \text{ kips}}}$$

EXAMPLE 2 – Two-Story Stacked S/SSW Condition:

Given:

- See Two-Story Design Example on page 49
- S/SSW18x9X-STK wall on 2.5 ksi concrete
- 2006 International Building Code®, Wind
- M_{base} = 17,550 ft-lbs. (Moment at base of two-story stacked wall)
- $Vh = 17,550 \times \left(\frac{12}{1000} \right) \text{ kip-in} = 210.6 \text{ kip-in}$
- P (Vertical Load) = 2.0 kips

$$T = \left[45.0 - \sqrt{2025 - 5.95 (6.1P + Vh)} \right] - P$$

$$T = \left[45.0 - \sqrt{2025 - 5.95 (6.1 \times 2 + 210.6)} \right] - 2 = \underline{\underline{16.6 \text{ kips}}}$$